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# High sensitivity RNA pseudoknot prediction

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## ABSTRACT

**Most *ab initio* pseudoknot predicting methods provide very few folding scenarios for a given RNA sequence and have low sensitivities. RNA researchers, in many cases, would rather sacrifice the specificity for a much higher sensitivity for pseudoknot detection. In this study, we introduce the Pseudoknot Local Motif Model and Dynamic Partner Sequence Stacking (PLMM\_DPSS) algorithm which predicts all PLM model pseudoknots within an RNA sequence in a neighboring-region-interference-free fashion. The PLM model is derived from the existing Pseudobase entries. The innovative DPSS approach calculates the optimally lowest stacking energy between two partner sequences. Combined with the Mfold, PLMM\_DPSS can also be used in predicting complicated pseudoknots. The test results of PLMM\_DPSS, PKNOTS, iterated loop matching, pknotsRG and HotKnots with Pseudobase sequences have shown that PLMM\_DPSS is the most sensitive among the five methods. PLMM\_DPSS also provides manageable pseudoknot folding scenarios for further structure determination.**

## INTRODUCTION

Most RNA secondary structure prediction approaches are thermodynamic energy minimization methods (1,2), such as Mfold and Vienna RNA packages implemented with Zuker's dynamic programming algorithm based on the thermodynamic model (3,4). These methods do not predict pseudoknots. Pseudoknots are RNA structure elements formed upon standard base-pairing of a loop region with residues outside that loop (Figure 1) (5). The pseudoknot database Pseudobase has two types of pseudoknots (6): the H-type which has only two cross-pairing stems and the complicated type which contains recursively cross-pairing (more than two) stems. In the September 2005 Pseudobase, 229 out of 238 unique entries are H-type pseudoknots. Even though pseudoknots are involved in <5% of overall RNA base-pairing, they have various important biological functions (5). Among many important functions, pseudoknots are essential for

some virus ribosome entry sites (7), are crucial in promoting frameshifting (8–14) and are critically related to some diseases (15).

The two main approaches for pseudoknot prediction are comparative methods and *ab initio* methods. Comparative methods in general are more accurate, but they require a high level of homologous sequence similarities; thus they are not applicable for many novice sequence structure predictions (16,17). The *ab initio* pseudoknot prediction methods can be applied to all RNA sequences and are important tools for RNA research. The *ab initio* pseudoknots-included RNA structure prediction methods, mainly various modifications of Zuker's algorithm, predict pseudoknots in the context of the entire RNA sequence; therefore these methods are often time consuming. PKNOTS, with the gap matrix approach and time complexity  $O(n^{6,8})$ , searches for the pseudoknot-included RNA secondary structure with the optimally lowest energy (18); the NUPACK partition function algorithm with time complexity  $O(n^5)$  considers only the H-type pseudoknots (19).

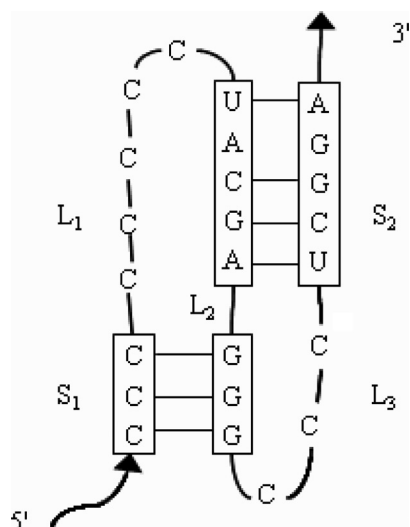
Currently, there are two efficient pseudoknot predicting methods, pknotsRG and iterated loop matching (ILM). These two methods use heuristic approaches and simple pseudoknot models to reduce time cost (20,21). The pknotsRG (the pknotsRG-enf version) with  $O(n^4)$  time complexity uses a simple pseudoknot model with three canonical rules and prioritizes the pseudoknot stem (pseudo-stems) detection. ILM with  $O(n^3)$  time complexity uses the ILM method that heuristically picks a stem-forming region pair according to the local optima.

All of these methods provide just one folding scenario per sequence, and they tune the prediction performance by balancing the sensitivity and the specificity. RNA researchers, in many cases, would rather compromise specificity for higher sensitivity. They would like to be given a group of folding scenarios per sequence with a high confidence that a structure of interest (e.g. a pseudoknot) would be included if theoretically possible. Once an exhaustive range of pseudoknot possibilities has been provided, the determination of a pseudoknot could then be conducted through filtration with knowledge, chemical probing, mutagenesis and other means. HotKnots is the most recent method that uses a heuristic approach in exploring alternative pseudoknot-included secondary structures for a given sequence (22). HotKnots provides multiple folding possibilities, but the

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**Figure 1.** A typical H-type pseudoknot.  $S_1$  and  $S_2$  denote stem 1 and stem 2;  $L_1$ ,  $L_2$  and  $L_3$  denote loop 1, loop 2 and loop 3.

choices are not exhaustive and it might miss the actual pseudoknot structures.

Despite several efforts to estimate free energy parameters for pseudoknot loops (23–26), there is still no solid understanding of the pseudoknot folding mechanism (27). Recently, Aalbert *et al.* (25) have reported that pseudoknots have very specific local sequence restrictions and that short loop 2 in H-type pseudoknots play an important role in stabilizing the pseudoknot structure. Cao *et al.* (26) have studied the pseudoknot loop thermodynamics through the experimentally determined atomic coordinates and have suggested that pseudoknot stem lengths are closely related to the loop lengths. Based on the above results, we believe that pseudoknots can be searched through a local motif model.

Short loop 2 size ( $l_2$ size) is not only favorable in stabilizing pseudoknot structure (25), but also is the key to forming the pseudoknot-specific knot-like structure. In Pseudobase, >90% of pseudoknots have  $l_2$ size  $\leq 2$ . Because short  $l_2$ sizes are crucial to ensure the sequence pattern specificity for the Pseudoknot local motif (PLM) model construction, we have focused only on pseudoknots with  $l_2$ sizes  $\leq 2$ , and will ignore those pseudoknots with  $l_2$ size  $> 2$  until we have better understanding about their sequence pattern specificities.

In this study, based on our previously designed Similar enriched Parikh Vector Searching (SRPVS) algorithm for the protein intrasequence inversed repeats study (28), we have developed the Pseudoknot Local Motif Model and Dynamic Partner Sequence Stacking (PLMM\_DPSS) algorithm for pseudoknot prediction. The purpose of PLMM\_DPSS is to allow biologists to identify interactions which can be tested experimentally. The PLM model is constructed based on 182 H-type pseudoknots in the Pseudobase. DPSS, a modification of the dynamic programming for sequence alignment algorithm (29), calculates the lowest stacking energy between two potential stem-forming regions. Even though the current PLM model is derived only from H-type pseudoknots, it can also be applied to complicated pseudoknots searching if we view a complicated pseudoknot

**Table 1.** The longest loop 2 sizes and other related data in 182 Pseudobase H-type pseudoknots (data for longer stem 1 5' regions is omitted here)

Stem 1 5' region size	Maximum stem 1 energy (kcal/mole)	Longest loop 2 size
2	-3.3	0
3	-0.2	0
3	-4.7	1
4	-3.2	0
4	-6.4	1
4	-7.6	2

**Table 2.** The PLM model parameters derived from the data in Table 1

Stem 1 5' region size	Stem 1 energy lower bound (kcal/mole)	Stem 1 energy upper bound (kcal/mole)	Loop 2 size upper Bound
2	$-\infty$	-3.3	0
3	-4.7	-0.2	0
3	$-\infty$	-4.7	1
4	-6.4	-3.2	0
4	-7.6	-6.4	1
4	$-\infty$	-7.6	2

The shortest loop 2 size in the PLM model is always 0

as a composition of a core H-type pseudoknot and some other stems further crossing the pseudoknot stem (PK-stem) regions. With a comprehensive PLM model, PLMM\_DPSS is guaranteed to be highly sensitive because it simply searches pseudoknot stems without any interference from the neighboring regions.

The PLMM\_DPSS web server and the Supplementary Data including the executables, data sets and other related information are available at [http://bioinformatics.ist.unomaha.edu:8080/x/PLMM\\_DPSS.html](http://bioinformatics.ist.unomaha.edu:8080/x/PLMM_DPSS.html).

## MATERIALS AND METHODS

PLMM\_DPSS first decomposes the input sequence into subsequences and then calculates the stacking energy value between each subsequence pair. The subsequence pairs that have met the PLM model size and energy requirements will be considered as potential PK-stems and will then be paired and assembled. Finally, PLMM\_DPSS will output those PLM-model-compatible stem pairs as predicted H-type pseudoknots.

### Pseudoknot local motif model

The PLM model was constructed from the Pseudobase in September 2005 (6). Out of a total of 238 unique entries, we have excluded the redundant pseudoknots (>85% similarity), unnatural SELEX pseudoknots (30), the pseudoknots with  $l_2$ size  $> 2$  and pseudoknots with loop 1 or loop 3 sizes  $> 800$ . The PLM model is then built based on 182 H-type pseudoknots.

In order to ensure the high sensitivity, every parameter in the PLM model is defined to be within a fully inclusive acceptance interval formed by the highest and the lowest values from the data. Table 1 shows some summary data obtained from the 182 Pseudobase H-type pseudoknots. Table 2 illustrates the PLM model parameters based on the

**Table 3.** The matrix cell components of DPSSA and DPSS, given two sequences *Seqx* and *Seqy* (*i* and *j* are base locations in *Seqx* and *Seqy*)

DPSSA	DPSS
$F(i, j)$ : score	$E(i, j)$ : optimally lowest energy score from (1,1) to ( <i>i, j</i> )
$D(i, j)$ : ↖, ←, ↑	$D(i, j)$ : 1 [↖, ( <i>i, j</i> ) paired], 2 [←, ( <i>i, j</i> ) paired], 3 [↑, ( <i>i, j</i> ) paired], 4 [↖, ( <i>i, j</i> ) not paired], 5 [←, ( <i>i, j</i> ) not paired], 6 [↑, ( <i>i, j</i> ) not paired]
	$P(i, j)$ : $P(i, j) = 1$ if ( <i>i, j</i> ) forms a WC or GU base pair; otherwise $P(i, j) = 0$
	[ $S_x(i, j), S_y(i, j)$ ]: the 5' side base pair that is closest to ( <i>i, j</i> )

‘↖’ denotes that the path from the current cell is directed towards its upper-left cell, ‘←’ denotes that the path is directed towards the left cell, and ‘↑’ denotes that the path is directed towards the upper cell

data in Table 1 and reflects the relationships among stem 1 5' region sizes, stem 1 energy values and longest loop 2 sizes in the PLM model. For example, according to Table 1, all pseudoknots with stem 1 5' region size 4 have the highest stacking energy  $-6.4$  if the longest loop 2 size is 1 and  $-7.6$  if the longest loop 2 size is 2; thus for a stem 1 with 5' region size 4 and energy value  $-6.8$ , its PLM model longest loop 2 size equals 1. The PK-stem energy-sum restriction is also included in the PLM model. An example of PK-stem energy-sum calculation is presented in the Supplementary Figure 1.

Once a pair of regions is considered as potential PLM stem-forming regions according to their sizes, flanking region sizes, and matched base number, DPSS will calculate the lowest Turner's stacking energy value (31) of the pair and then decide whether this pair is able to form an acceptable PLM PK-stem.

### Dynamic Partner Sequence Stacking (DPSS) Algorithm

DPSS is modified from the Dynamic Programming for Sequence Alignment (DPSSA) algorithm (20). In a DPSS matrix, each cell has four elements (Table 3). The DPSS algorithm is deployed in Figure 2. An example of the DPSS energy calculation process is presented in Supplementary Figure 2. The DPSS traceback step is similar to the traceback step in the DPSSA. Given two subsequences of size *v* and *w*, assuming  $v > w$ , the DPSS energy calculation has the time complexity of  $O(v^2w)$  and the space complexity of  $O(vw)$ . Since the PLM stem-forming region sizes are from 2 to 21, DPSS time and space costs could be considered as constant.

### PLMM\_DPSS algorithm

PLMM\_DPSS uses two steps to predict pseudoknots for an input RNA sequence *seq* of size *n*: the Stem Finding step that locates all the potential stems within the sequence, and the Pseudoknot Assembly step that predicts whole pseudoknots based on the results obtained from the Stem Finding step (Figure 3).

An example illustrating how Pseudoknot Assembly assembles the pseudo-stems into pseudoknots is presented in the Supplementary Figure 3. The PLMM\_DPSS algorithm provides all PLM-model-compatible pseudoknots for a given sequence, while the PLMM\_DPSS\_lowest version provides only one pseudoknot with the lowest PK-stem energy-sum

if there are several possible pseudoknots overlapping a certain region.

In the worst case, the stem lists contain  $n^2$  stems and each stem pairs with a constant *c* other stems to form *c* pseudoknots. In this study, the PLM PK-stem region sizes are from 2 to 21 and loop 2 sizes are from 0 to 2, so  $c = (21 - 2 + 1) \times 3 = 60$ . Since the stem 2 5' region ending position is searched in sorted stem lists through binary search, the PLMM\_DPSS algorithm has the time complexity of  $O(Cn^2 \log n)$ . The constant  $C = dc$ , where *d* is the DPSS energy calculation time cost for each sequence region pair. The stem list size and pseudoknot amount in any real sequence are always far smaller. The PLMM\_DPSS space complexity is  $O(n^2)$ . PLMM\_DPSS is currently implemented in JAVA and is run under the Linux system with the Intel(R) Xeon(TM) 1700 MHz processor and 256 KB cache size.

## RESULTS AND DISCUSSION

In this study, we have tested three data sets containing Pseudobase entries with sequence sizes  $<140$ : the pk168 contains 168 H-type entries with loop 2 sizes  $\leq 2$ ; the pkCmplt contains six complicated pseudoknots; and the pkLL2 contains nine H-type pseudoknots with loop 2 size  $> 2$ . Both pkCmplt and pkLL2 contain pseudoknots not involved in the PLM model building. Because the long loop 2-sized pseudoknots are not typical structures and the Pseudobase has accepted pseudoknots with different levels of structure confirmation, we have selected into pkLL2 only those entries with some forms of experimental confirmation or those entries resulting from the sequence comparisons with experimentally confirmed sequences. More details of pkLL2 sequence selection are in the Supplementary Table 1.

### PLMM\_DPSS algorithm performance

Figure 4 shows the average numbers of PLM model stems and pseudoknots detected by PLMM\_DPSS for all sequences in pk168, pkCmplt and pkLL2 within 12 sequence size ranges (e.g. in the lower graph of Figure 4, the average number of pseudoknots found in the sequence length range 70–79 is 60). Although not very clear due to the lack of sequences, the upward trends of both stem and pseudoknot numbers in Figure 4 are close to linear. Also in Figure 4, in order to provide only the distinguished stems and pseudoknots, a stem will not be counted if it is a substem of a bigger stem and has higher energy value than that of the bigger stem; and a pseudoknot will be ignored if its energy value is higher than another pseudoknot and each of their four PK-stem regions has an overlapping rate  $\geq 80\%$ . The highest pseudoknot amount is  $<200$  for all sequences tested in Figure 4 (see Supplementary Data), so PLMM\_DPSS provides a manageable amount of pseudoknot candidates even with the fully inclusive PLM model and exhaustive searching.

PLMM\_DPSS has time complexity of  $O(Cn^2 \log n)$ . Because the constant in the PLMM\_DPSS time complexity is big, the Figure 5 time cost comparisons with pk168, pkCmplt and pkLL2 sequences have shown that PLMM\_DPSS is slower than ILM and pknotsRG; and PLMM\_DPSS is much more efficient than PKNOTS. One would think that

**Step 1: Initiation**

```

if (1, 1) and (v, w) both form Watson-Crick base-pairs or GU pairs, then
  E(1, 1) ← 0.00
  for c from 2 to v, do
    E(c, 1) ← 9.00
  for r from 2 to w, do
    E(1, r) ← 9.00
  for c from 1 to v, do
    for r from 1 to w, do
      if (c, r) forms a base-pair, then
        P(c, r) ← 1
      else
        P(c, r) ← 0
  for c from 2 to v, do
    for r from 2 to w, do
      E(c, r) ← 0.00
else
  return E(v, w) = 9.00 and skip Step 2

```

**Step 2: Fill**

$$E(i, j) = \begin{cases} \text{if } P(i, j) = 1 & \min \begin{cases} E(i-1, j-1) + TE(Sx(i-1, j-1), Sy(i-1, j-1), Seqx(Sx(i-1, j-1), i), Seqy(Sy(i-1, j-1), j), i, j)) \\ E(i, j-1) + TE(Sx(i, j-1), Sy(i, j-1), Seqx(Sx(i, j-1), i), Seqy(Sy(i, j-1), j), i, j)) \\ E(i-1, j) + TE(Sx(i-1, j), Sy(i-1, j), Seqx(Sx(i-1, j), i), Seqy(Sy(i-1, j), j), i, j)) \end{cases} \\ \text{else} & \min \begin{cases} E(i-1, j-1) \\ E(i, j-1) \\ E(i-1, j) \end{cases} \end{cases}$$

$$Sx(i, j) = \begin{cases} i & \text{if } P(i, j) = 1 \text{ and } D = 1, 2 \text{ or } 3 \\ Sx(i-1, j-1) & \text{if } P(i, j) = 0, \text{ and } D = 4 \\ Sx(i, j-1) & \text{if } P(i, j) = 0, \text{ and } D = 5 \\ Sx(i-1, j) & \text{if } P(i, j) = 0, \text{ and } D = 6 \end{cases}$$

$$Sy(i, j) = \begin{cases} j & \text{if } P(i, j) = 1 \text{ and } D = 1, 2 \text{ or } 3 \\ Sy(i-1, j-1) & \text{if } P(i, j) = 0, \text{ and } D = 4 \\ Sy(i, j-1) & \text{if } P(i, j) = 0, \text{ and } D = 5 \\ Sy(i-1, j) & \text{if } P(i, j) = 0, \text{ and } D = 6 \end{cases}$$

$$D(i, j) = \begin{cases} 1 & \text{if } P(i, j) = 1 \text{ and } E(i, j) \text{ is obtained from } E(i-1, j-1) \\ 2 & \text{if } P(i, j) = 1 \text{ and } E(i, j) \text{ is obtained from } E(i, j-1) \\ 3 & \text{if } P(i, j) = 1 \text{ and } E(i, j) \text{ is obtained from } E(i-1, j) \\ 4 & \text{if } P(i, j) = 0 \text{ and } E(i, j) = E(i-1, j-1) \\ 5 & \text{if } P(i, j) = 0 \text{ and } E(i, j) = E(i, j-1) \\ 6 & \text{if } P(i, j) = 0 \text{ and } E(i, j) = E(i-1, j) \end{cases}$$

return E(v, w)

**Figure 2.** Summary of DPSS algorithm. Given *Seqx* of size *v* and *Seqy* of size *w* (in reversed order), *Seqx*(*a, i*) is the region in *Seqx* flanking locations *a* and *i*, and *Seqy*(*b, j*) is defined similarly. *E*(*a, b*) = 9.00 indicates that no stacking is allowed at (*a, b*) and the TE function returns the Turner's energy between two nearest

base pairs. The stacking energy for 5'  $\begin{matrix} \text{UAC} \\ | \quad | \\ \text{3' AGG 5'} \end{matrix}$  3' is TE(U, A, 'A', 'G', C, G) = 1.1 (kcal/mole).

the exhaustive PLMM\_DPSS should be slower than the heuristic HotKnots, but since PLMM\_DPSS detects only potential pseudoknots and ignores all other folding types, PLMM\_DPSS and HotKnots have similar time costs, and the longest time cost of PLMM\_DPSS is <2 min (Figure 5).

**PLMM\_DPSS prediction of pk168**

The PLMM\_DPSS algorithm is constructed to meet the requirements of RNA researchers who have asked for a highly sensitive pseudoknot searching tool. In this study, PLMM\_DPSS prediction results of pk168 have been compared with those of HotKnots, pknotsRG-enf, ILM and

PKNOTS. Since PLMM\_DPSS detects only the base pairs that form PK-stems and ignores noncrossing stems, we have used the pk168 prediction results of the PLMM\_DPSS\_Mfold and PLMM\_DPSS\_lowest\_Mfold packages to ensure a fair result comparison. PLMM\_DPSS\_Mfold is an integration of PLMM\_DPSS and Mfold methods. PLMM\_DPSS first predicts H-type pseudoknots for a given sequence, then will feed the sequence file and the corresponding constraint file masking the base pairs already predicted to the Mfold, and then will output the base pair prediction results of both methods (see Supplementary Table 2). The PLMM\_DPSS\_lowest\_Mfold package is built in the same way.

**Stem Finding**Input: sequence *seq* of size *n*, PLM modelOutput: *stemLists*

```

1: for wi from 2 to 21
2:   for i from 1 to n
3:     get j1 (the shortest PLM partner region size), given 5' region size wi
4:     get j2 (the longest PLM partner region size), given 5' region size wi
5:     for wj from j1 to j2, do
6:       for j from i + 5 to n, do
7:         energy ← DPSS(s (i, i + wi), s (j, j + wj))
8:         if energy is acceptable by the PLM model
9:           store s (i, i + wi) and s (j, j + wj) as a stem into stemList [wi]

```

**Pseudoknot Assembly**

Input: stem list array

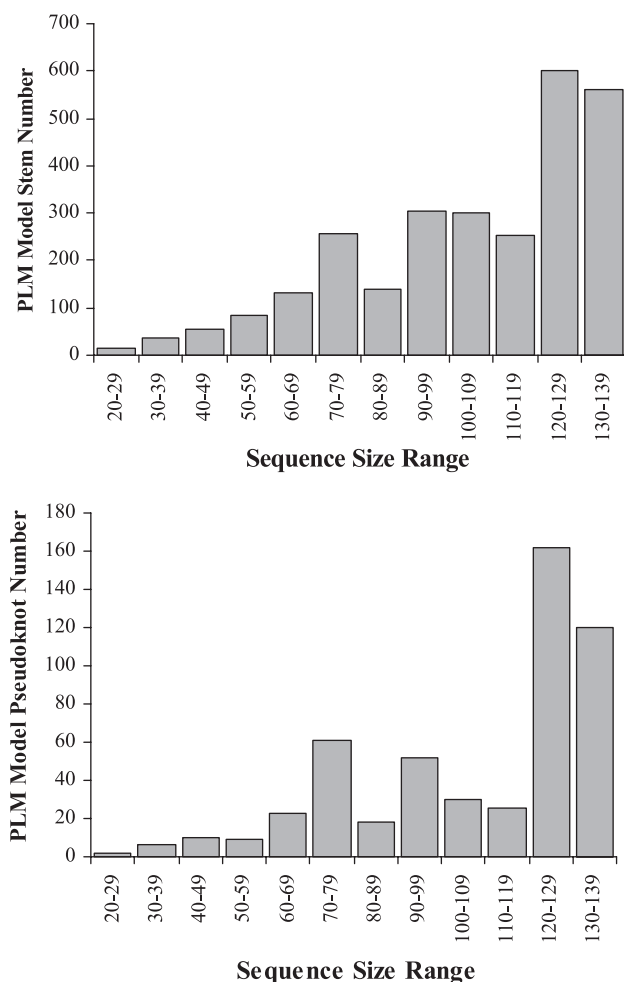
Output: pseudoknot list

```

1: for sz from 21 to 2, do
2:   for each entry st1 in stemList [sz],
3:     get l2 (the PLM longest loop 2 size, given sz and st1 energy)
4:     for j from 0 to l2 do
5:       get energyT (the PLM highest energy threshold of two pseudo-stem energy-sum)
6:       last ← st1 3' region start position - 1 - j
7:       for each st2 (stem in stemList array with 5' region ending position = last), do
8:         if Est2 (st2 energy) + Est1 (st1 energy) ≤ energyT, then
9:           add st1 and st2 into the pseudoknot list

```

**Figure 3.** The pseudo-codes of the Stem Finding and the Pseudoknot Assembly steps. Each *stemList* [*x*] in the *stemLists* contains stems with the 5' region size *x* and with the 5' region starting (also ending) base position in nondecreasing order.



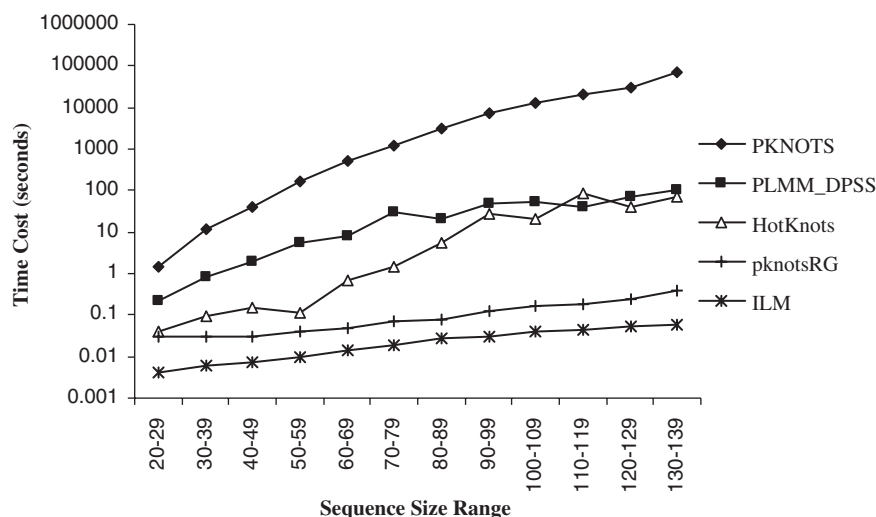
**Figure 4.** The average numbers of stems (upper graph) and pseudoknots (lower graph) detected by PLMM\_DPSS at 12 sequence size ranges. The sequence data involves all sequences in pk168, pkCmplt and pkLL2.

Since both PLMM\_DPSS and HotKnots provide multiple folding scenarios for each sequence, we have summed up base pairs from the best predicted scenarios (the highest correctly predicted base pair number scenario per sequence) of both PLMM\_DPSS\_Mfold and HotKnots (Table 4). Even though both methods provide alternative folding scenarios, PLMM\_DPSS\_Mfold is more sensitive than HotKnots for pk168 because PLMM\_DPSS provides exhaustive PLM pseudoknot folding scenarios, while HotKnots is a heuristic approach that may miss real pseudoknot structures. PLMM\_DPSS\_Mfold results with the best prediction scenario per pk168 entry are the most sensitive among all listed methods in Table 4.

If a pseudoknot is considered as correctly predicted when each of four PK-stem regions is at least partially included, the pk168 test results have also shown that PLMM\_DPSS has included all actual pseudoknot structures within its prediction results while HotKnots has missed 17 pseudoknots (see the details at [http://bioinformatics.ist.unomaha.edu:8080/x/PLMM\\_DPSS.html](http://bioinformatics.ist.unomaha.edu:8080/x/PLMM_DPSS.html)).

Among all the methods that provide only one result per entry (for HotKnots, the first folding scenario per sequence which has the lowest overall energy is selected), PLMM\_DPSS\_lowest\_Mfold, which predicts only one pseudoknot structure with the lowest PK-stem energy-sum per sequence, has the highest sensitivity (Table 4). Because PLMM\_DPSS is not designed to provide just one 'most likely' pseudoknot folding scenario per sequence, the highly sensitive and precise PLMM\_DPSS\_lowest\_Mfold result for pk168 is an unexpected encouraging bonus and suggest that most 'typical' (H-type with loop 2 size <3) pseudoknots are local-folding and are preferred structures of the natural RNA folding mechanism.

In order to validate the PLM model, we have separated the 182 PLM pseudoknots into two data sets: pktest and pkrain. The test data set pktest contains all 30 entries with sequence sizes <140 and the Pseudobase identification numbers >199;



**Figure 5.** Summary of the average time costs of five methods at 12 sequence size ranges. The data involves all sequences in pk168, pkCmplt and pkLL2.

**Table 4.** Summary of pk168 base pair prediction results and evaluations of five methods

	TP	Sensitivity (%)	TP + FP	Specificity (%)
PLMM_DPSS_Mfold	1839	96.2	2301	79.9
HotKnots (the best scenario)	1703	89.1	2094	81.3
PLMM_DPSS_lowest_Mfold	1612	84.4	2308	69.8
HotKnots (the first scenario)	1334	69.8	1926	69.3
pknotsRG-enf	1449	75.8	2031	71.3
ILM	1244	65.1	2084	59.7
PKNOTS	1398	73.2	1935	72.3

PLMM\_DPSS\_Mfold has two results: the PLMM\_DPSS\_lowest\_Mfold result and the base pair sum result from the best predicted scenario per entry with PLMM\_DPSS\_Mfold; HotKnots also has two results: the base pair sum from each first result per entry which has the lowest overall energy and the base pair sum result from the best predicted scenario per entry. The total pk168 base pair number is 1911. TP = number of correctly predicted base pairs; sensitivity = TP/(the total base pair number); FP = number of wrongly predicted base pairs; specificity = TP/(TP + FP).

**Table 5.** Summary of pktest base pair prediction results and evaluations of five methods

	TP	Sensitivity (%)	TP + FP	Specificity (%)
PLMtrain_DPSS_Mfold	446	92.1	560	79.6
HotKnots (the best scenario)	420	86.8	502	83.7
PLMtrain_DPSS_lowest_Mfold	401	82.9	541	74.1
HotKnots (the first scenario)	373	77.1	496	75.2
pknotsRG-enf	291	60.1	475	61.3
ILM	300	62.0	541	55.5
PKNOTS	339	70.0	504	67.3

As in Table 4, PLMtrain\_DPSS\_Mfold and HotKnots each have two results. The total pktest base pair number is 484.

and the training data set pktrain contains the remaining 152 entries to build the PLMtrain model. Table 5 has shown that the prediction results of PLMtrain\_DPSS\_Mfold, PLMtrain\_DPSS\_lowest\_Mfold and the other four methods are consistent with the results in Table 4. Therefore,

**Table 6.** Summary of pkCmplt base pair prediction results and evaluations of five methods

	TP	Sensitivity (%)	TP + FP	Specificity (%)
PLMM_DPSS_Mfold	111	84.1	155	71.6
HotKnots (the best scenario)	105	79.6	155	67.7
PLMM_DPSS_lowest_Mfold	45	34.1	147	30.6
HotKnots (the first scenario)	69	52.3	147	46.9
pknotsRG-enf	97	73.5	155	62.6
ILM	101	76.5	166	60.8
PKNOTS	65	49.2	178	36.5

As in Table4, PLMM\_DPSS\_Mfold and HotKnots each have two results. The total pkCmplt base pair number is 132.

the PLM model is a robust PLM model, and PLMM\_DPSS is a highly sensitive and precisely accurate approach for short loop 2 H-type pseudoknot prediction.

### PLMM\_DPSS prediction of pkCmplt

The pkCmplt prediction results have shown that the PLMM\_DPSS\_Mfold results with the highest correctly predicted number of base pairs per entry are the most sensitive among all listed methods (Table 6), so PLMM\_DPSS is also the most sensitive tool for complicated pseudoknot prediction. An illustration of how PLMM\_DPSS\_Mfold detect a complicated pseudoknot in pkCmplt is presented in the Supplementary Table 2. The PLMM\_DPSS\_lowest\_Mfold result, however, is the least accurate among all methods. We have expected such a result since complicated pseudoknots involve more stems; so picking the most stable H-type pseudoknot scenario alone may miss the actual folding in many cases. The results have also shown that ILM is the second most accurate among all listed methods and is the most accurate among all one-scenario-per-entry methods.

### PLMM\_DPSS prediction of pkLL2

In theory, PLMM\_DPSS will miss all pseudoknots with loop 2 size >2. However, the pkLL2 prediction results have shown

**Table 7.** Summary of pkLL2 base pair prediction results and evaluations of five methods

	TP	Sensitivity (%)	TP + FP	Specificity (%)
PLMM_DPSS_Mfold	154	64.2	232	66.4
HotKnots (the best scenario)	141	58.8	178	79.2
PLMM_DPSS_lowest_Mfold	119	49.6	271	43.9
HotKnots (the first scenario)	107	44.6	238	45.0
pknotsRG-enf	119	49.6	225	52.9
ILM	139	57.9	280	49.6
PKNOTS	124	51.7	253	49.0

As in Table 4, PLMM\_DPSS\_Mfold and HotKnots each have two results. The total pkLL2 base pair number is 240.

that the PLMM\_DPSS\_Mfold results (with the highest correctly predicted base pair number per pkLL2 entry) are the most sensitive among all listed methods (Table 7). PLMM\_DPSS\_Mfold is able to detect long loop 2 pseudoknots because some pkLL2 pseudoknots have possible PK-stem base pairs that involve bases in the loop 2 region, a pseudoknot with short loop 2 predicted by PLMM\_DPSS may include the PK-stem base pairs of the actual long loop 2 pseudoknot. In general, all applied methods have low sensitivities and specificities. The pkLL2 results in Table 7 have suggested that PLMM\_DPSS is a broadly applicable pseudoknot searching tool with high sensitivity.

Of all methods that predict one unique folding scenario per sequence, the PLMM\_DPSS\_lowest\_Mfold has fewer correctly predicted base pairs than ILM and PKNOTS, has the same result as pknotsRG-enf and has better results than HotKnots.

In this study, PLMM\_DPSS has been shown to be the most sensitive pseudoknot prediction method for all pseudoknots among all tested methods, and the PLMM\_DPSS\_lowest is also the most precisely sensitive tool for predicting 'typical' (H-type with loop 2 size  $\leq 2$ ) pseudoknots.

We believe that evaluations of the five methods require more than just comparing their results in Table 4 through Table 7. For a fair comparison, all other methods have considered the nonpseudoknot scenarios for each given sequence, while PLMM\_DPSS considers only whether pseudoknot structures could possibly exist for a given sequence. The PLMM\_DPSS is different from other structure prediction tools: it answers the question 'Is there any possibility for this region to contain pseudoknots, and if so, what are these possible pseudoknots for future structure experiments?' rather than 'What is the most likely structure for this region?'

## CONCLUSIONS

The PLMM\_DPSS algorithm predicts pseudoknots by employing an innovative neighboring-region-interference-free pseudoknot-stem searching approach. This method allows PLMM\_DPSS to provide all possible pseudoknots that conform to the PLM model for a given sequence. PLMM\_DPSS has been proven to be more sensitive than four leading pseudoknots prediction tools used for comparison. The test results have also shown that for most H-type

short loop 2 Pseudobase entries, the true pseudoknots are those with the lowest PK-stem energy-sum. PLMM\_DPSS can also be integrated with Mfold to predict both H-type and complicated pseudoknots. We expect that in the future, the PLM model will be more comprehensive and PLMM\_DPSS will take into account the noncrossing stem regions and be evolved into an efficient, reliable and specific tool for predicting pseudoknot-included RNA secondary structures.

## SUPPLEMENTARY DATA

Supplementary Data are available at NAR Online.

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